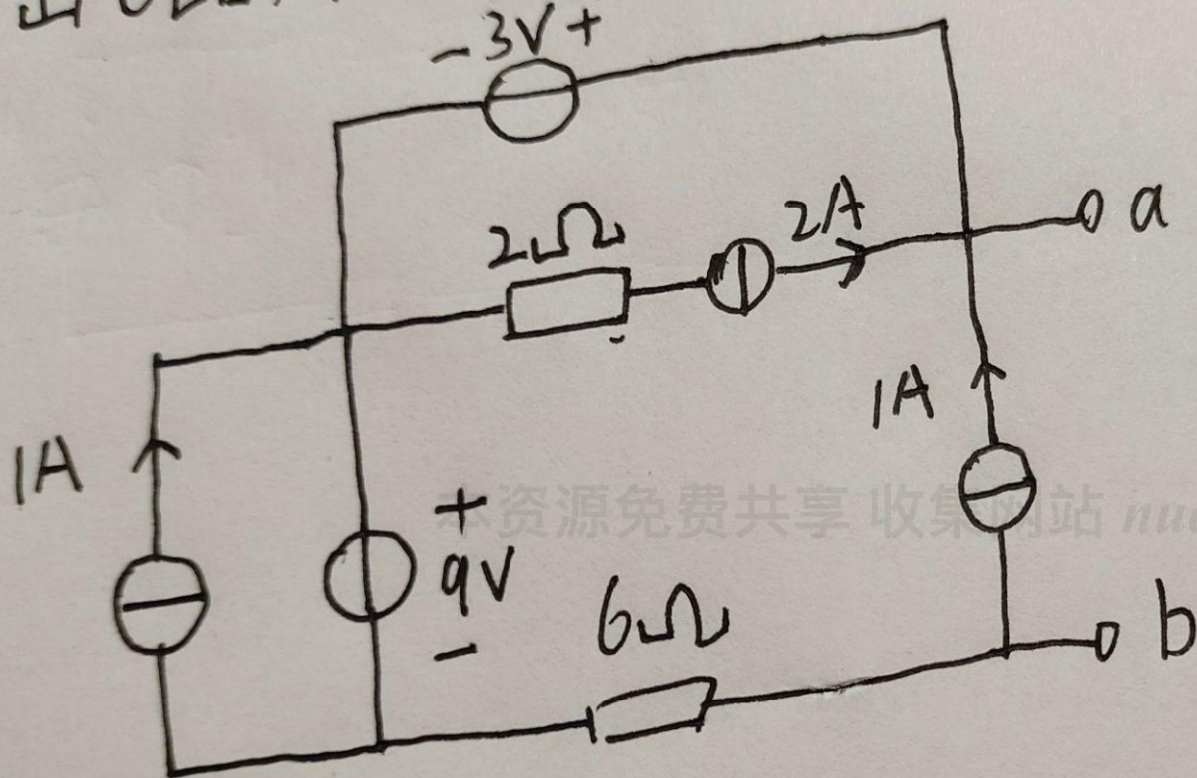
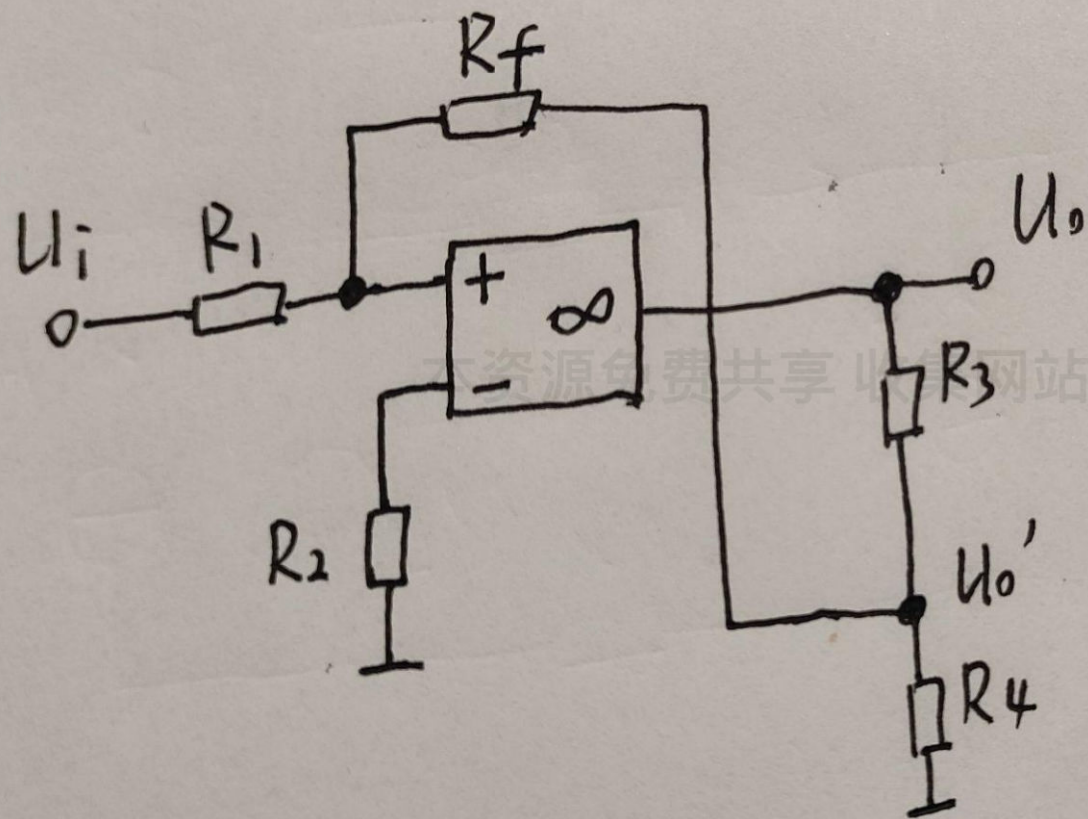


一.1.

求出电路从 a、b 端口看进去的最简等效电路



1.2. 求 $\frac{U_o}{U_i}$

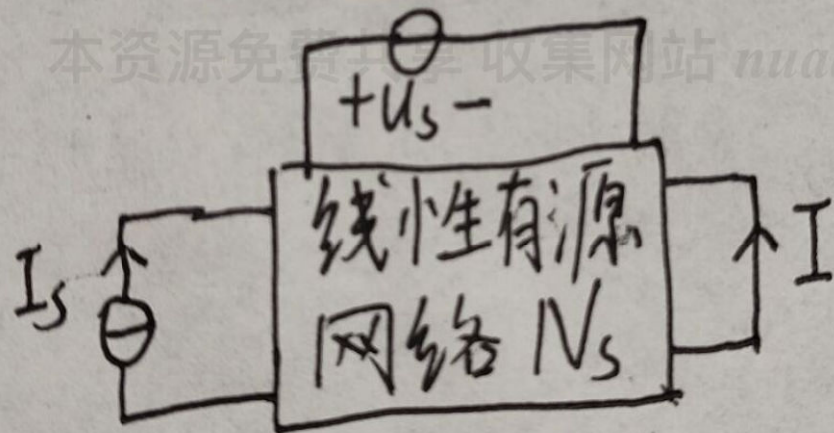


一、3. 已知 $I_s = 1A$, $U_s = 1V$ 时, $I = 2A$

$I_s = 2A$, $U_s = -1V$ 时, $I = 1A$

$I_s = 5A$, $U_s = 2V$ 时, $I = 4A$

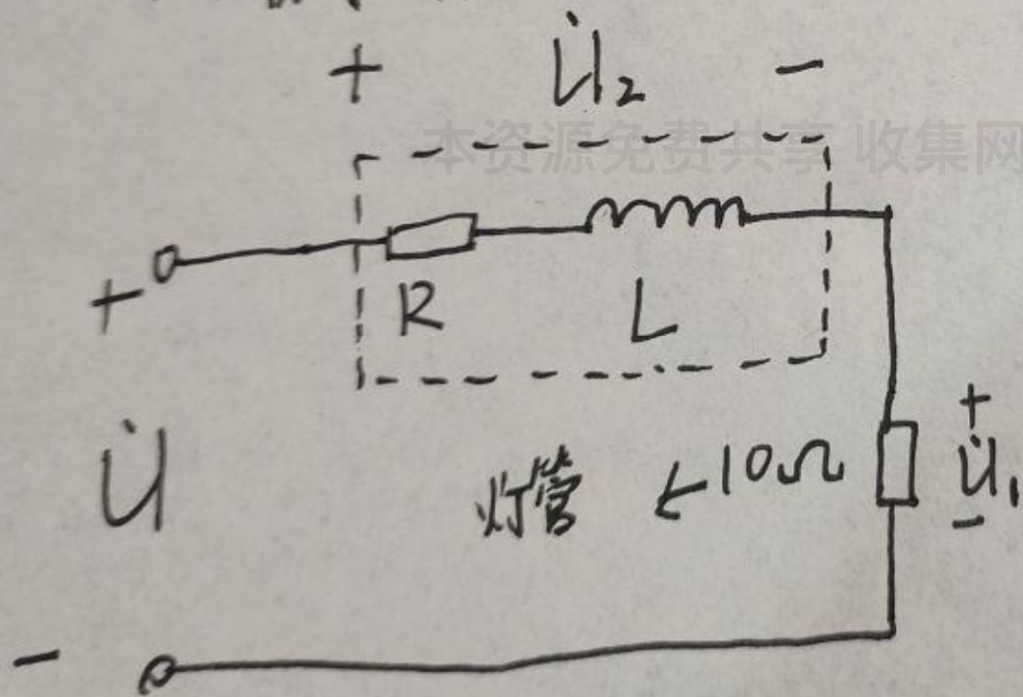
求: $I_s = 5A$, $U_s = -3V$ 时, $I = ?$



一、4. 图示为一工作于工频的小功率日光灯电路。
 已知各电压有效值分别为 $U_1=U_2=10\text{ V}$, $U=17.32\text{ V}$

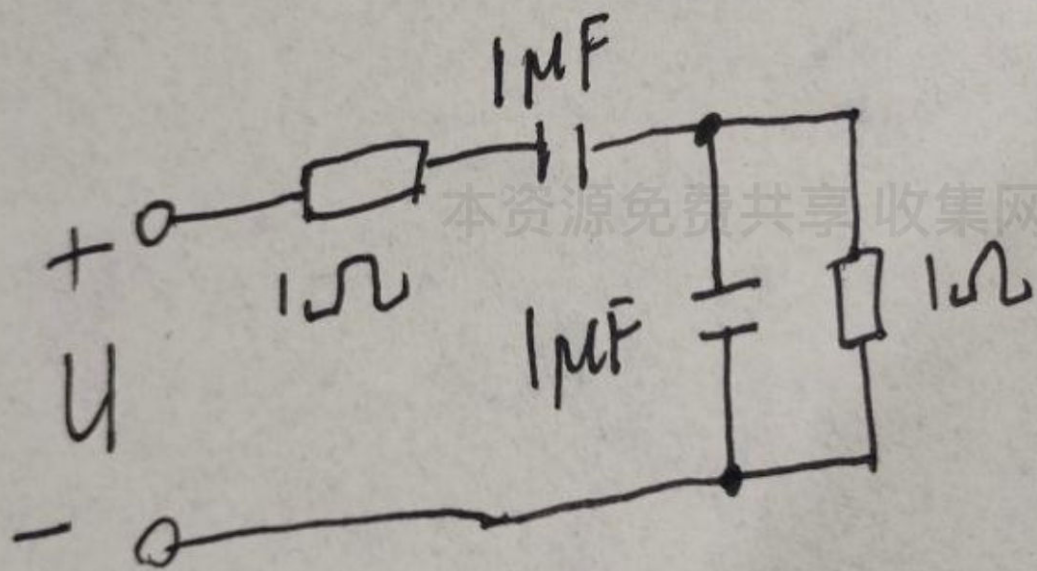
求 (1) 画出电压相量图

(2) 镇流器等效串联模型元件参数 R 和 L 的值



→ 5.

$u = 3\sqrt{2} \cos 10^6 t \text{ V}$, 求该一端口网络吸收的有功功率 P 和无功功率 Q



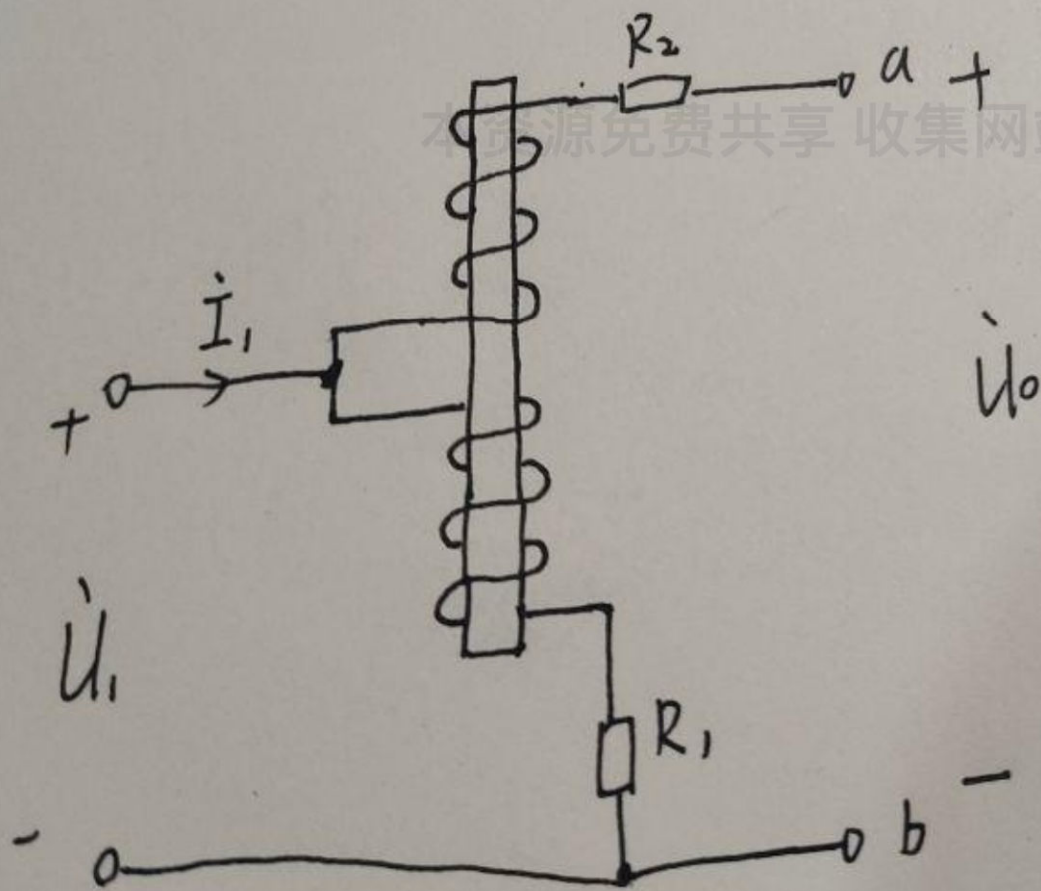
1-6

已知 $R_1 = R_2 = 3\Omega$, $\omega L_1 = \omega L_2 = 4\Omega$, $\omega M = 2\Omega$

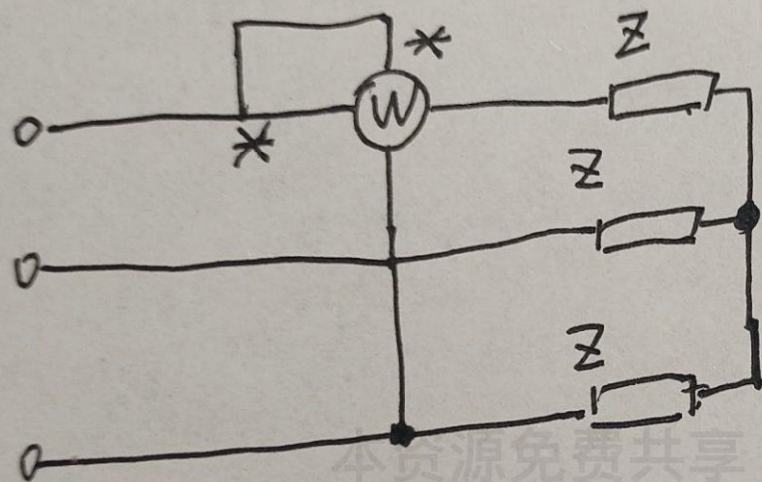
输入端电压 $\dot{U}_1 = 10V$

求 (1) 输出端开路电压 \dot{U}_0

(2) 若在输出端 a-b 间接入阻抗 $Z = 0.52 - j0.36\Omega$, 再求 \dot{U}_{ab}

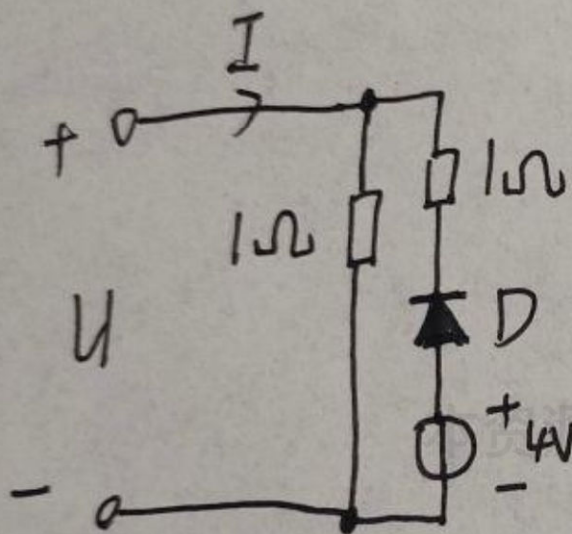


一. 7. 图示对称三相电路中, 线电压为 $380V$, 感性三相负载功率因数为 0.6
功率表读数 $P = 2111.6W$, 求线电流 I_A



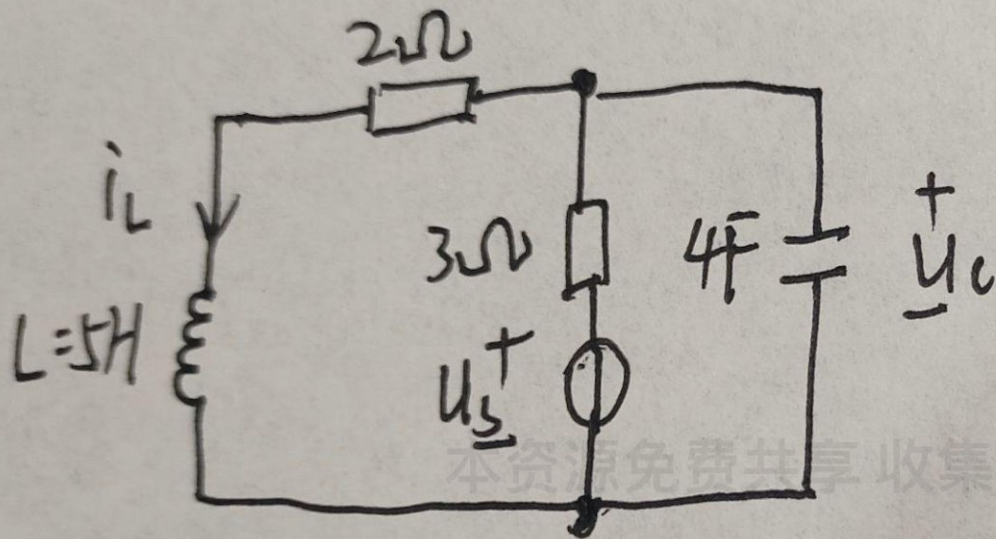
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一、8 试画出如图所示电路端口处的 $U-I$ 关系曲线, 其中 D 为理想二极管



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一、9 写出电路的标准形式状态方程

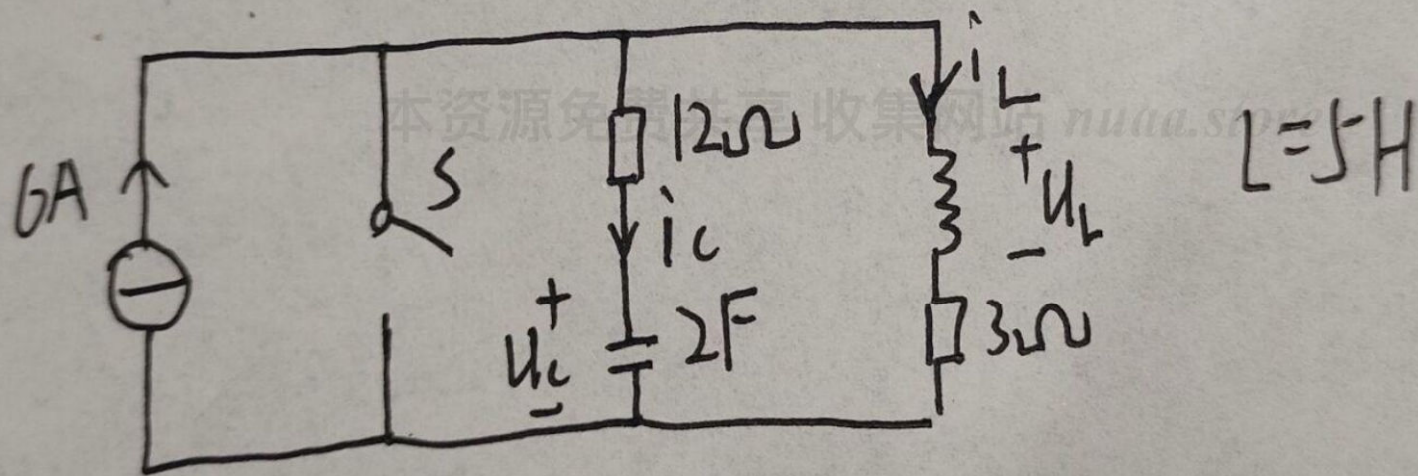


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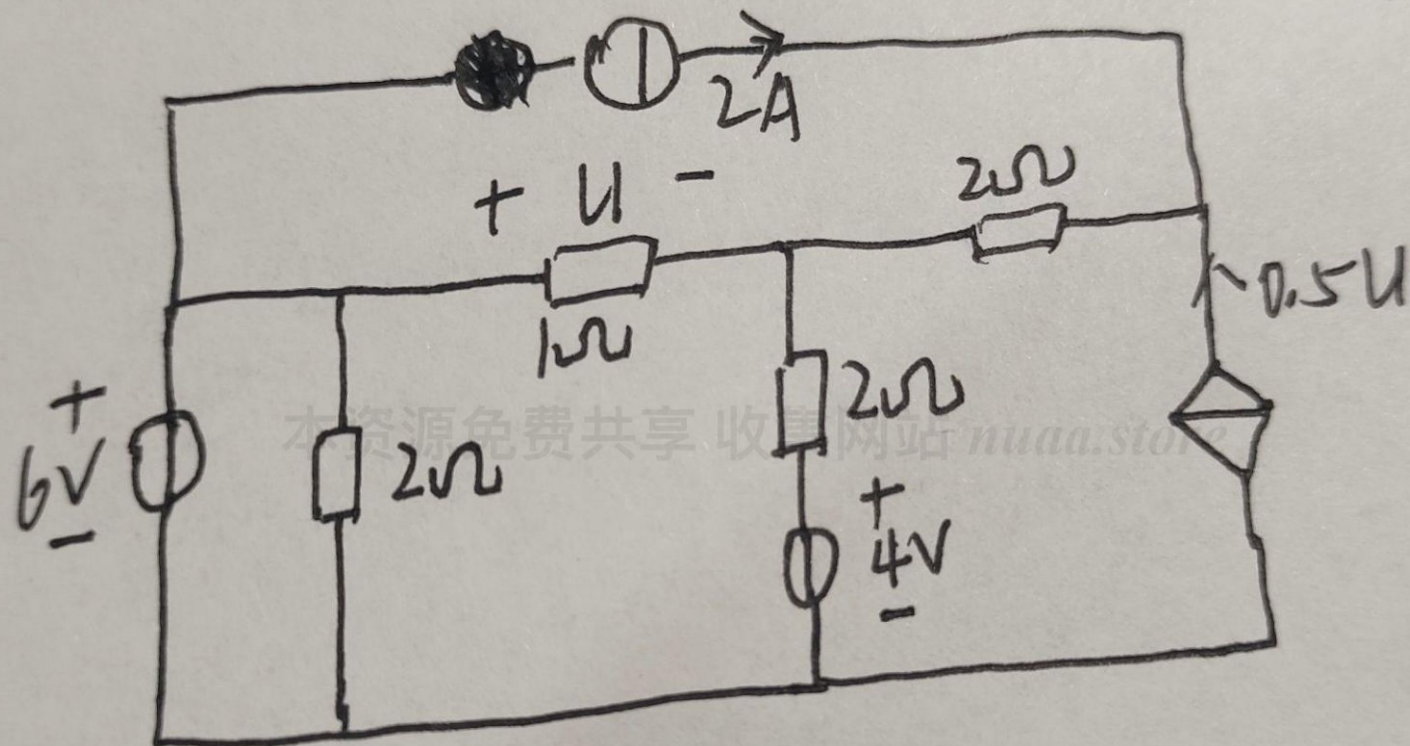
一、10.

$t < 0$ 时, S 断开, 电路已达稳态, $t = 0$ 时, S 闭合

求 $U_c(0_+)$, $i_c(0_+)$



二、1. 求求图示电路两个电压源各自发出的功率

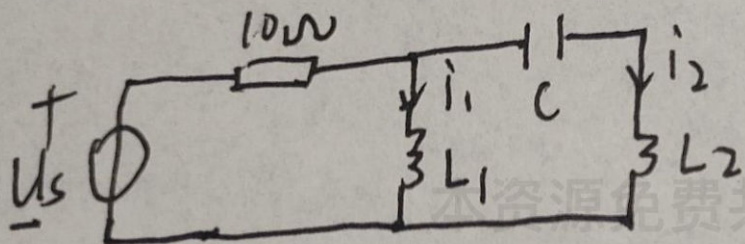


二. 2.

$$U_s(t) = (10 + 18 \cos \omega t + 5 \cos 2\omega t) \text{ V}, \quad \omega L_1 = 9 \Omega, \quad \omega L_2 = 3 \Omega, \quad \frac{1}{\omega C} = 12 \Omega$$

求 (1) 稳态时 $i_1(t)$ 和 $i_2(t)$

(2) U_s 发出的平均功率



二.3.

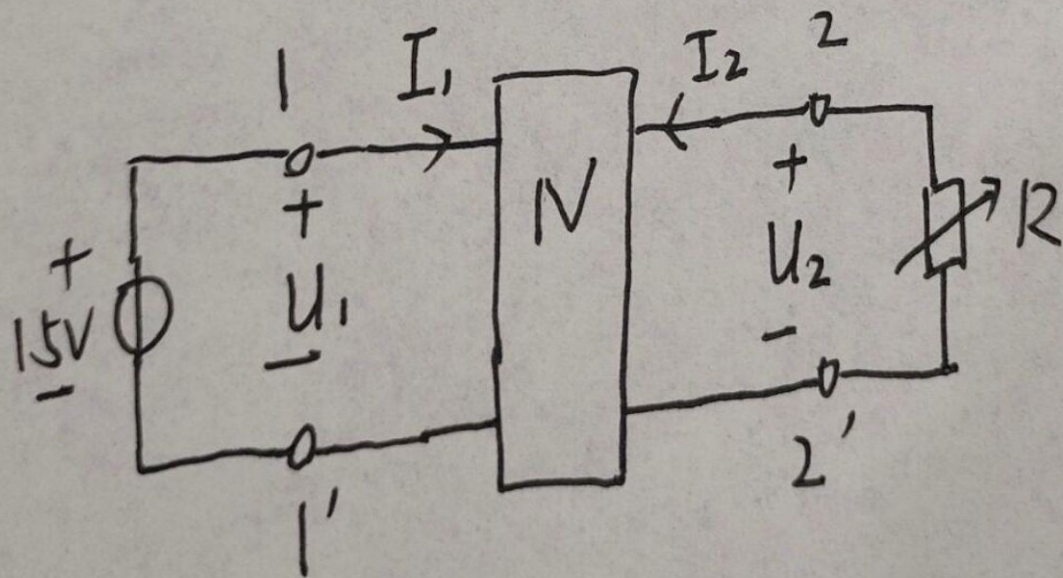
图示二端口网络, 其参数矩阵有 $Z = \begin{bmatrix} 6 & 3 \\ 3 & 9 \end{bmatrix} \Omega$

求: (1) 二端口网络的 T 型等效电路

(2) $R = 2.5 \Omega$ 时的 I_1 和 I_2

(3) $R = ?$ 时可获最大功率?

并求最大功率 P_{\max}

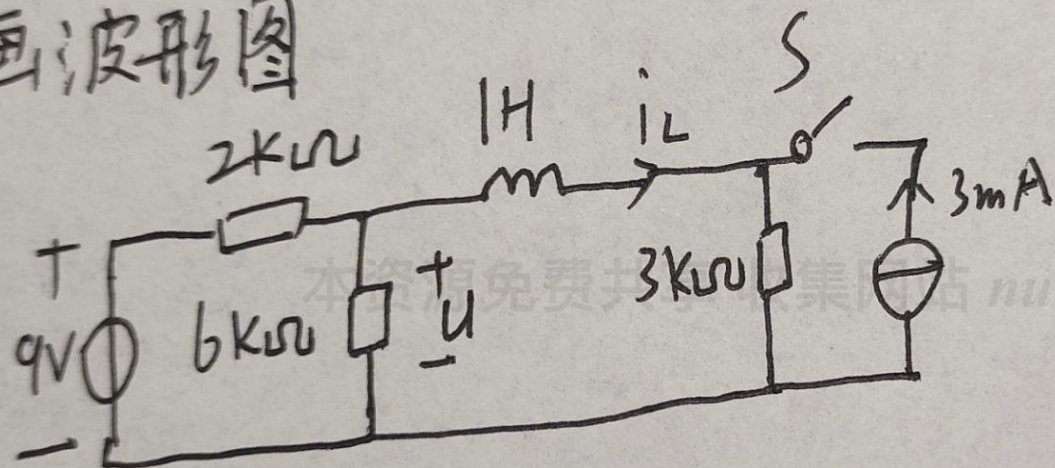


二、4.

如图电路, $t < 0$ 时开关 S 闭合前电路已达稳态, $t = 0$ 时开关 S 闭合

求 $t > 0$ 时的 $u(t)$ 和 $i_L(t)$

并画波形图



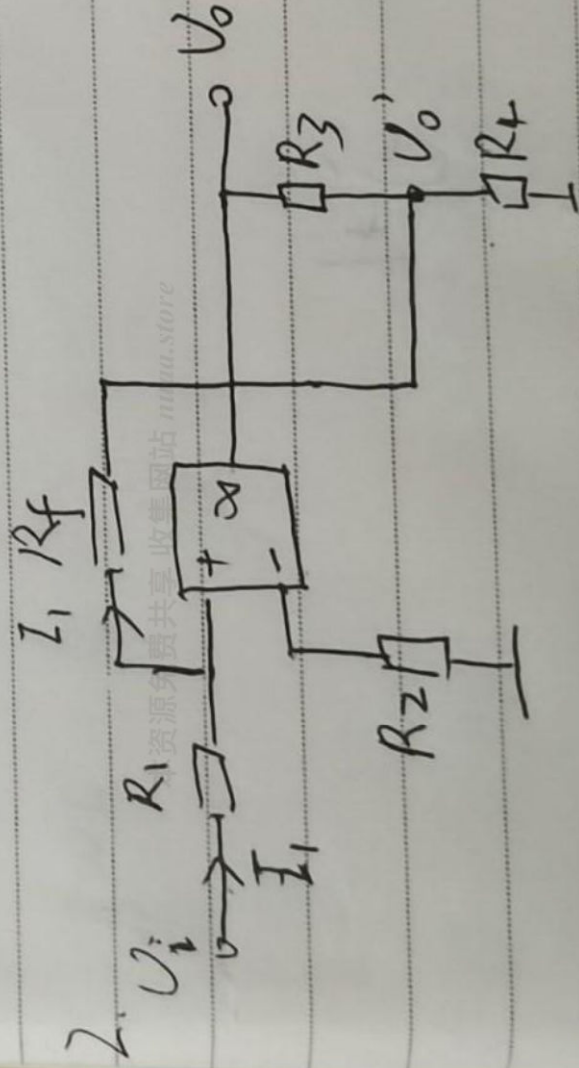
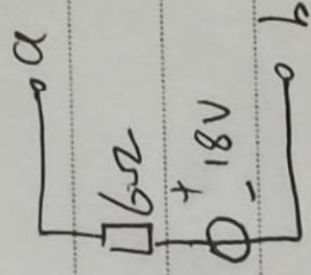
1. Req:

$$R = 6\Omega$$

开路电压 U_{ab} :

$$U_{ab} = 3 + 9 + 6 \times 1 = 18V$$

戴等效电路为:



$$I_1 = \frac{U_i}{R_1}$$

$$U_o = -I_1 \cdot R_4 = -\frac{R_4}{R_1} U_i$$

故 $\frac{U_o}{U_i} = -\frac{R_4}{R_1}$

$$I = k_1 I_s + k_2 U_s + b$$

$$\left\{ \begin{array}{l} k_1 + k_2 + b = 2 \\ 2k_1 - k_2 + b = 1 \\ 5k_1 + 2k_2 + b = 4 \end{array} \right.$$

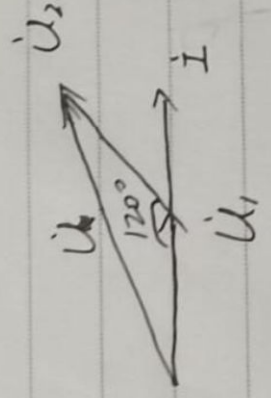
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$$\therefore I = \frac{1}{3} I_s + \frac{2}{3} U_s + 1$$

$$\therefore I = \frac{1}{3} \times 5 + \frac{2}{3} \times (-) + 1$$

$$= \frac{2}{3}$$

7. 11):



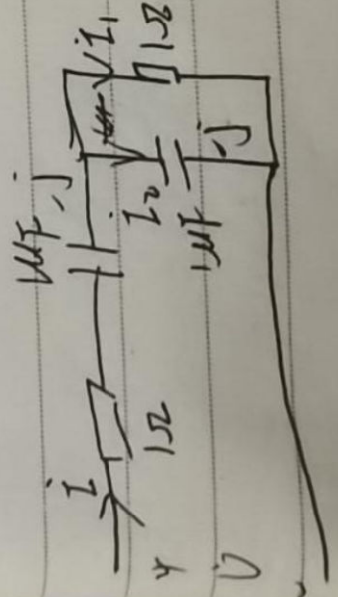
12). $\frac{U_1}{10} = \frac{U_2 \cos 60^\circ}{R}$ $\omega = 2\pi f = 314 \text{ rad/s}$

$R = 5 \Omega$

$\sqrt{2} \omega L = R$ $L = 9.19 \times 10^{-3} \text{ H}$

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5. $\dot{U} = 3 \angle 0^\circ$ $\omega = 10^6 \text{ rad/s}$



$\frac{1 \times (j)}{1-j} = 1.5 \angle -45^\circ$

$Z = 1-j + \dots$

$I = \frac{U}{Z} = \sqrt{2} \angle 45^\circ \text{ A}$

$I_1 = \frac{j}{1-j} I = \frac{\sqrt{2}}{2} \angle 135^\circ \text{ A}$

$I_2 = \frac{1}{1-j} I = j = 1 \angle 90^\circ \text{ A}$

故 $P = |I_1|^2 + |I_2|^2 = 3 \text{ W}$

$Q = |I_1|^2 + |I_2|^2 = 3 \text{ var}$

$$U_1 = U_2 + j\omega M I_2$$

$$I_1 = \frac{U_2}{j\omega L_1 + R_1}$$

$$U_2 = 10 \angle 0^\circ$$

$$U_2 = 10 \angle 42.37^\circ \text{ V}$$

17)

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7. 全线路电压: $380 \angle 30^\circ$

副边电压: $220 \angle 0^\circ$

$$P = VI \cos \theta$$

$$= 220 \times 0.6 \times 1$$

$$= 2111.6$$

$$I_A = 16 \text{ A} \quad \cos \theta = 0.6 \quad 0.20$$

$$I_A = 16 \angle 0^\circ \text{ A} = 16 \angle 53.1^\circ \text{ A}$$

① 若二极管导通

$$I_2 = \frac{4-u}{1} \times (-1)$$

$$= u-4$$

$$I_1 = u$$

$$\therefore I = I_1 + I_2 = 4 \quad (u < 4)$$

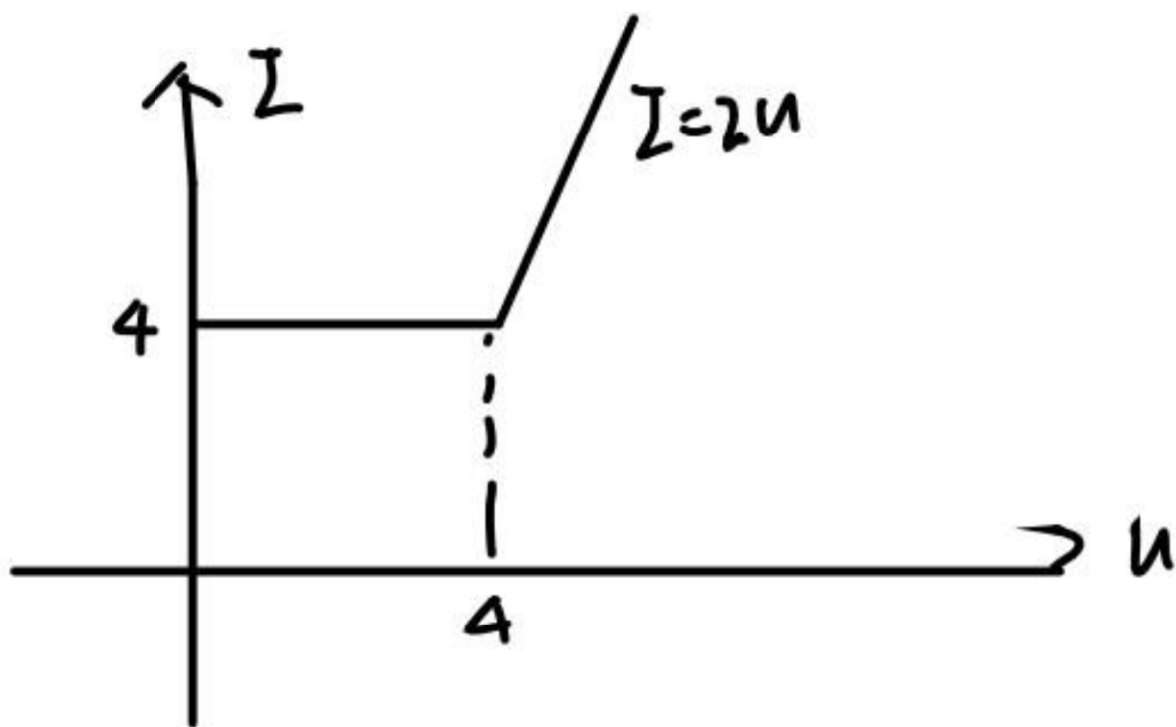
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② 若二极管不导通

$$I_2 = \frac{u}{1}$$

$$I_1 = u$$

$$\therefore I = 2u$$



$$\dot{i}_C = C \frac{du_C}{dt}$$

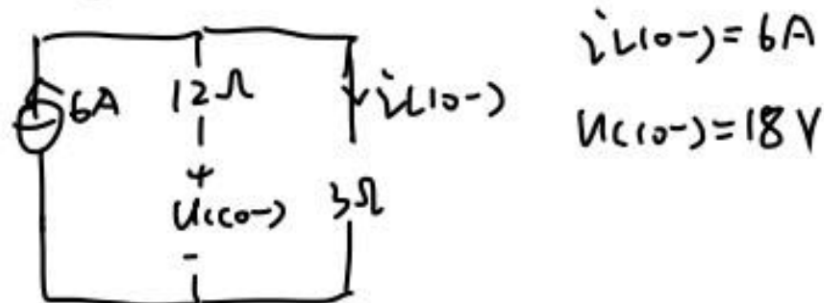
$$u_L = L \frac{di_L}{dt}$$

$$KCL: \frac{u_S - u_C}{3} = C \frac{du_C}{dt} + \dot{i}_L \Rightarrow \frac{u_S - u_C}{3} = 4 \frac{du_C}{dt} + \dot{i}_L$$

$$KVL: u_C = 2\dot{i}_L + L \frac{di_L}{dt} \Rightarrow u_C = 2\dot{i}_L + 5 \frac{di_L}{dt}$$

[三要素法]

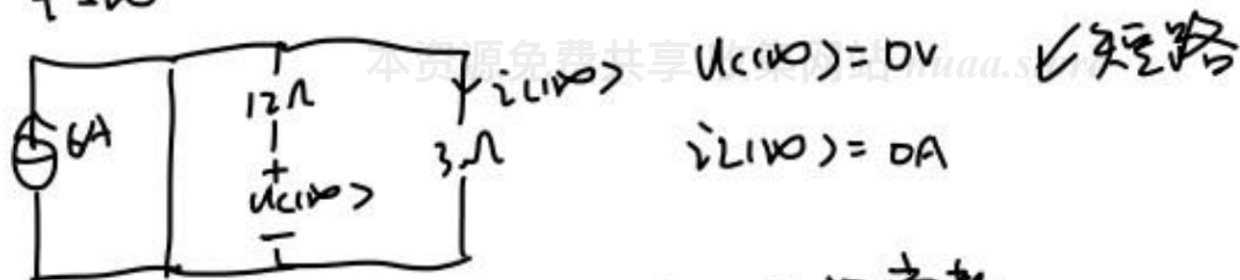
$t=0^-$



换路定律: $i_L(0^+) = 6A = i_L(0^-)$

$U_C(0^+) = 18V = U_C(0^-)$

$t \rightarrow \infty$



双-阻电路, C、L'的 Σ . 有2个时间常数

$$\tau_C = RC = 24s \quad \tau_L = \frac{L}{R} = \frac{5}{3}s$$

$$U_C(t) = 18e^{-\frac{t}{24}} \quad i_L(t) = 6e^{-\frac{3}{5}t}$$

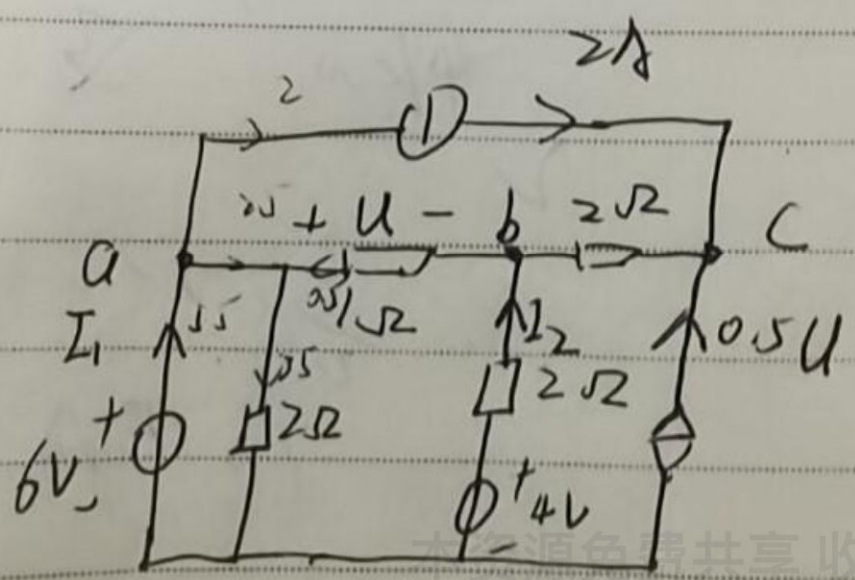
$$i_C(t) = C \frac{dU_C}{dt} = 2 \cdot 18e^{-\frac{t}{24}} \times \frac{1}{24} = -\frac{3}{2}e^{-\frac{t}{24}}$$

$$\therefore i_C(0^+) = -\frac{3}{2}A$$

$$U_L(t) = L \frac{di_L}{dt} = 5 \cdot 6e^{-\frac{3}{5}t} \cdot -\frac{3}{5} = -18e^{-\frac{3}{5}t}$$

$$\therefore U_L(0^+) = -18V$$

二、1 节点电压法



$$\begin{cases} U_a = 6V \\ (\frac{1}{2} + \frac{1}{2} + 1)U_b - U_a - \frac{1}{2}U_c = 2 \\ \frac{1}{2}U_c - \frac{1}{2}U_b = 0.5U + 2 \\ U_a - U_b = U \end{cases} \Rightarrow \begin{cases} U_a = 6V \\ U_b = 6.5V \\ U_c = 10V \end{cases}$$

$$I_1 \neq \left(\frac{-U}{1} - \frac{U_a}{2} \right) = 2 \quad I_2 = -1.25A$$

$$I_1 = 5.5 \quad P_1 = 5.5 \times 6 = 33W \quad P_2 = -5W$$

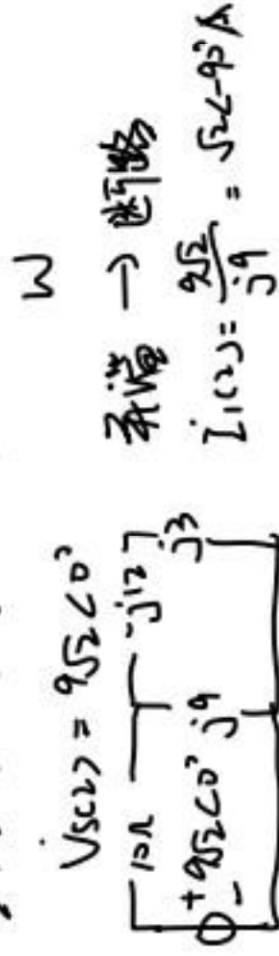
1) ① 考 $U_{S(1)} = 10 \text{ V}$ 时



$\therefore i_1(t) = 1 \text{ A}$

$i_2(t) = 0 \text{ A}$

② 考 $U_{S(2)} = 1800 \sin 2\omega t \text{ V}$ 时



W

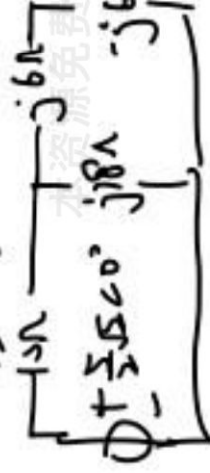
开端 \rightarrow 断路

$I_1(t) = \frac{9\sqrt{2}}{j9} = \sqrt{2} \angle -90^\circ \text{ A}$

$I_2(t) = \frac{9\sqrt{2}}{-j9} = \sqrt{2} \angle 90^\circ \text{ A}$

③ 考 $U_{S(3)} = 5 \cos 2\omega t$

$U_{S(3)} = \frac{5}{2} \sqrt{2} \angle 90^\circ$ W



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串接 \rightarrow 短路

$I_1(t) = 0 \text{ A}$

$I_2(t) = \frac{\sqrt{2}}{4} \angle 0^\circ \text{ A}$

$i_1(t) = (1 + 2 \cos 2\omega t - 90^\circ) \text{ A}$

$i_2(t) = 0 + 2 \cos 2\omega t + 90^\circ + \frac{1}{2} \cos 2\omega t \text{ A}$

2) 有功功率 P, 计算电阻消耗的. 电容电感. 无功

$i_3(t) = 1 + 0 + \frac{1}{2} \cos(2\omega t + 90^\circ) \text{ A}$

$P = \sum VI \cos \varphi$

$= 1 \times 10 + \frac{1}{2} \cdot 5 \cdot \cos 0^\circ = 12.5 \text{ W}$

解: $R_{eq} = 3k + \frac{6k \times 2k}{6k + 2k} = 4.5k \Omega$

$$\tau = \frac{L}{R_{eq}} = \frac{1H}{4.5k\Omega} = 2.2 \times 10^{-4} s$$

$$i_L(0^+) = i_L(0^-) = \frac{2}{3} \times \frac{9}{2k + \frac{3k \times 6k}{3k + 6k}} = 1.5 \times 10^{-3} A = 1.5 mA$$

$$i_L(\infty) = i_L(\infty)_1 + i_L(\infty)_2$$

由叠加定理:

$$i_L(\infty)_1 = \frac{9}{4k} \times \frac{2}{3} = 1.5 mA$$

$$i_L(\infty)_2 = -\frac{2}{3} \times 3 mA = -2 mA$$

$$i_L(\infty) = -0.5 mA$$

$$i_L(t) = (0.5 + 2e^{-\frac{t}{2.2 \times 10^{-4}}}) \times 10^{-3} A$$

$$U_{(0^+)} = U_1 + U_2$$

$$U_1 = \frac{6}{8} \times 9 = 6.75 V$$

$$U_2 = -\frac{2}{8} \times 1.5 mA \times 6k\Omega = -2.25 V$$

$$U_{(0^+)} = 4.5 V \quad U_{(0^-)} = 3k\Omega \times 2.5 mA = 7.5 V$$

$$U(t) = 7.5 e^{-\frac{t}{2.2 \times 10^{-4}}} - 3 e^{-\frac{t}{2.2 \times 10^{-4}}} \quad V$$

